

Simple Linear Regression

R Handout

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Oak Gall Wasps

Prior and Hellman (2010) investigated the impact of invasive Oak Gall Wasps (*Neuroterus saltatorius*) on a native butterfly. They hoped to use the amount of damage shown on oak leaves as a surrogate for the density of the wasps' galls. To examine this they recorded the density of wasp galls (number per leaf) and the percentage leaf damage for ten trees. Is leaf damage a reliable predictor of wasp gall density?

```
> options(show.signif.stars=FALSE)
> library(NCStats)
> setwd("C:/aaaWork/Web/GitHub/NCMTH207/modules/SLRegression")

> df <- read.csv("galls.csv")
> str(df)

'data.frame':  10 obs. of  2 variables:
 $ damage : num  6.9 9.2 15.6 18.3 20.9 28 43.1 42.9 52 40.9
 $ density: int  163 326 296 459 115 936 610 1196 1262 1631

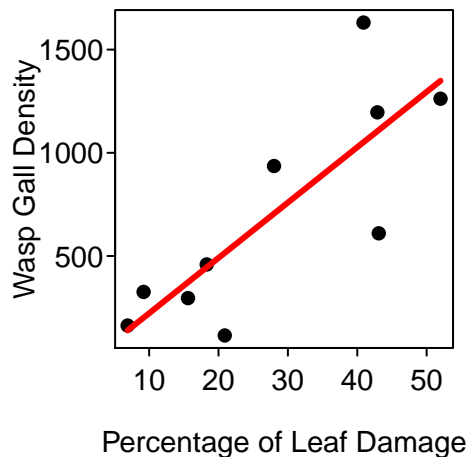
> xlabel <- "Percentage of Leaf Damage"
> ylabel <- "Wasp Gall Density"
```

Lecture Support I – Model Fitting and Simple Predictions

```
> ( lm1 <- lm(density~damage,data=df) )
```

```
Coefficients:
(Intercept)      damage
   -45.70         26.82
```

```
> fitPlot(lm1,xlab=xlabel,ylabel=ylabel)
```



```
> predict(lm1,data.frame(damage=35))
```

```
1  
893.0516
```

Lecture Support II – Sampling Variability

```
> summary(lm1)
```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-45.703	213.941	-0.214	0.83618
damage	26.822	6.763	3.966	0.00414

Residual standard error: 323.6 on 8 degrees of freedom

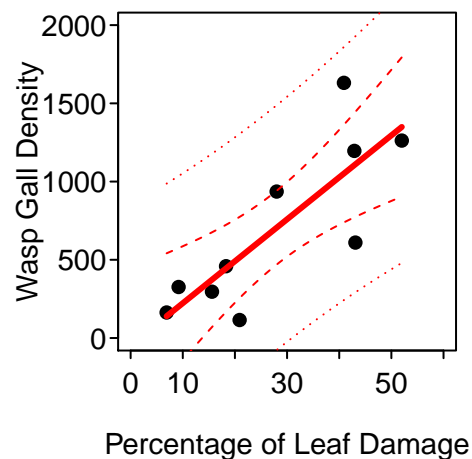
Multiple R-squared: 0.6628, Adjusted R-squared: 0.6207

F-statistic: 15.73 on 1 and 8 DF, p-value: 0.004144

```
> cbind(Ests=coef(lm1),confint(lm1))
```

	Ests	2.5 %	97.5 %
(Intercept)	-45.70283	-539.05161	447.64595
damage	26.82156	11.22529	42.41783

```
> fitPlot(lm1,ylab=y1bl,xlab=x1bl,ylim=c(0,2000),xlim=c(0,60),interval="both")
```



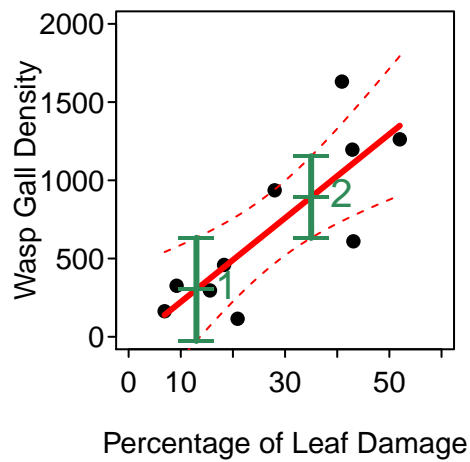
```
> predict(lm1,data.frame(damage=35),interval="confidence")
```

```
fit lwr upr  
1 893.0516 631.604 1154.499
```

```
> predict(lm1,data.frame(damage=35),interval="prediction")
```

```
fit lwr upr  
1 893.0516 102.4161 1683.687
```

```
> predictionPlot(lm1, data.frame(damage=c(13,35)), ylab=ylbl, xlab=xlbl,
  ylim=c(0,2000), xlim=c(0,60), interval="confidence")
```



	obs	damage	fit	lwr	upr
1	1	13	302.9774	-26.88797	632.8428
2	2	35	893.0516	631.60398	1154.4993

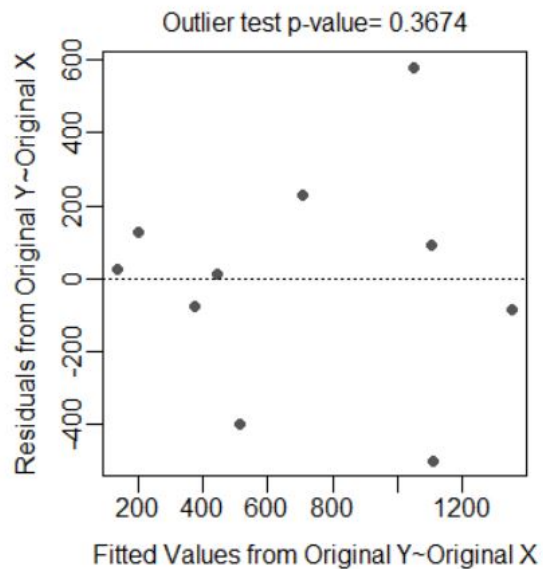
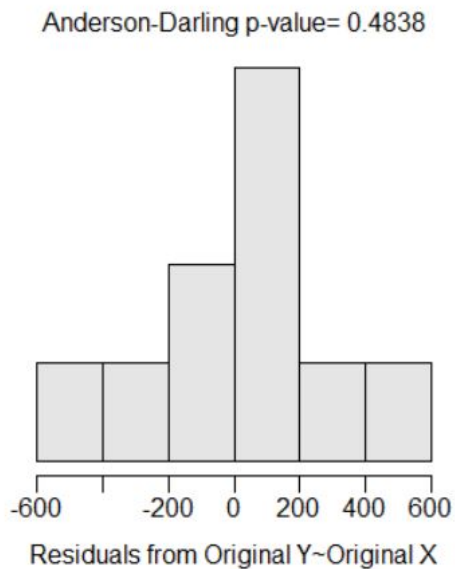
Lecture Support III – Model Comparisons

```
> anova(lm1)
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
damage	1	1646594	1646594	15.727	0.004144
Residuals	8	837587	104698		

Lecture Support IV – Assumption Checking

```
> transChooser(lm1)
```



Petrels

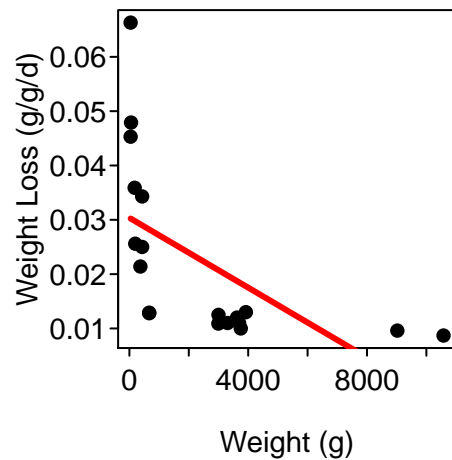
Croxall (1982) examined the weight loss of adult petrels during periods of egg incubation. He examined 13 species but some had measurements for both sexes such that 19 measurements are found in `Petrels.csv`. For each measurement the mean initial weight (g) and mean weight lost (g/g/d) were recorded. Determine if the mean initial weight significant explains variability in mean weight lost.

```
> petrels <- read.csv("Petrels.csv")
> str(petrels)
```

```
'data.frame':  19 obs. of  4 variables:
 $ species      : Factor w/ 13 levels "Diomedea chrysostoma",...: 2 2 4 4 1 1 3 3 3 9 ...
 $ sex          : Factor w/ 4 levels "both","female",...: 3 2 3 2 3 2 3 2 1 3 ...
 $ weight       : int  10577 9022 3922 3694 3751 3624 3305 3000 2996 668 ...
 $ weight.loss  : num  0.0087 0.0096 0.013 0.011 0.01 0.01 0.012 0.011 0.0125 0.0109 0.0128 ...
```

Analysis

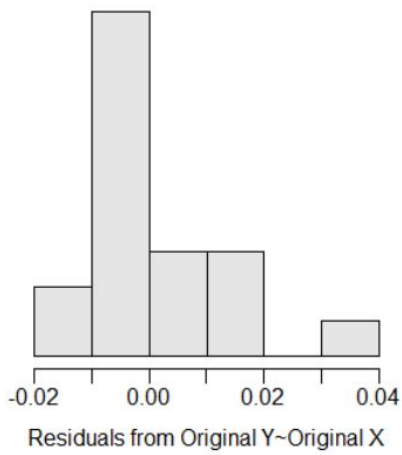
```
> lm1 <- lm(weight.loss~weight,data=petrels)
> fitPlot(lm1,xlab="Weight (g)",ylab="Weight Loss (g/g/d)")
```



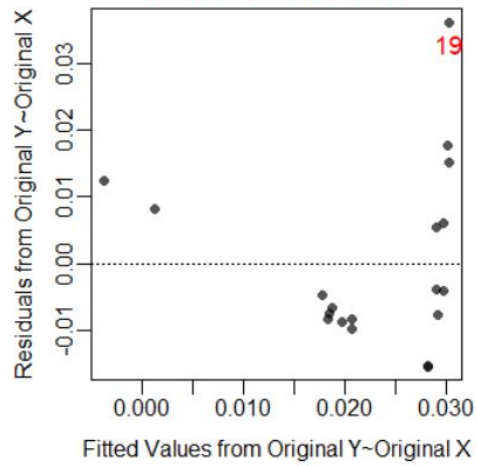
```
> transChooser(lm1)
```



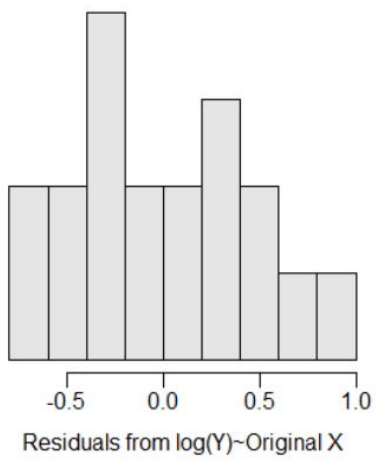
Anderson-Darling p-value= 0.0139



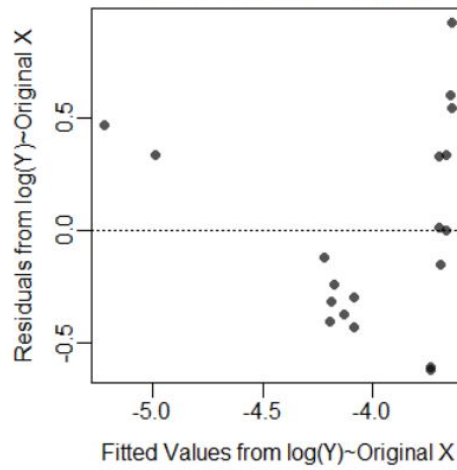
Outlier test p-value= 0.0397



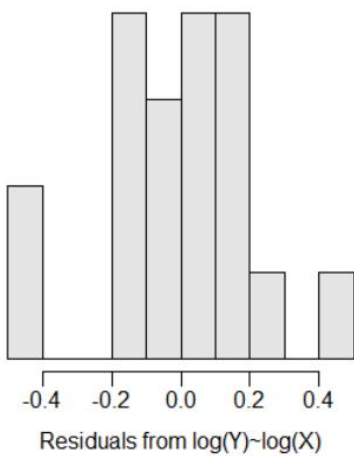
Anderson-Darling p-value= 0.2636



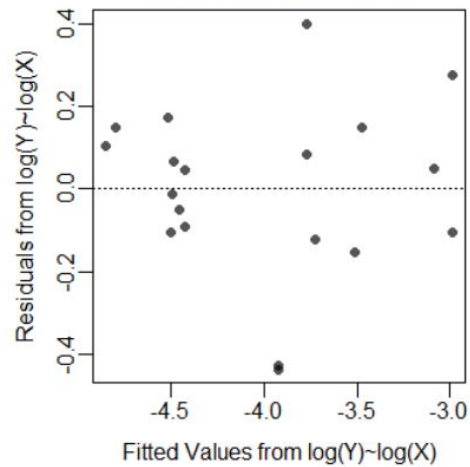
Outlier test p-value= 0.5766



Anderson-Darling p-value= 0.3514



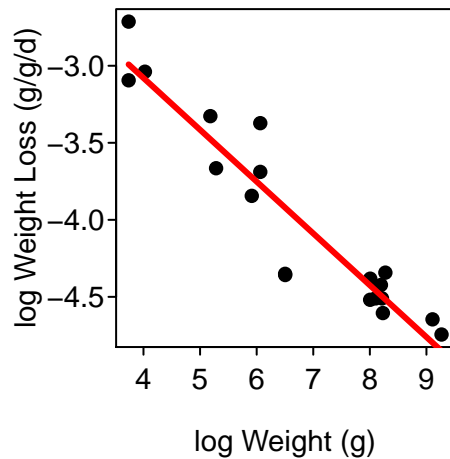
Outlier test p-value= 0.6100



```

> petrels$log.wt <- log(petrels$weight)
> petrels$log.wtloss <- log(petrels$weight.loss)
> lm2 <- lm(log.wtloss~log.wt,data=petrels)
> fitPlot(lm2,xlab="log Weight (g)",ylab="log Weight Loss (g/g/d)")

```



```

> anova(lm2)

```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
log.wt	1	6.5113	6.5113	140.65	1.204e-09
Residuals	17	0.7870	0.0463		

```

> summary(lm2)

```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	-1.73403	0.19792	-8.761	1.04e-07
log.wt	-0.33632	0.02836	-11.860	1.20e-09

Residual standard error: 0.2152 on 17 degrees of freedom

Multiple R-squared: 0.8922, Adjusted R-squared: 0.8858

F-statistic: 140.6 on 1 and 17 DF, p-value: 1.204e-09

```

> cbind(Ests=coef(lm2),confint(lm2))

```

	Ests	2.5 %	97.5 %
(Intercept)	-1.7340329	-2.1516113	-1.3164546
log.wt	-0.3363196	-0.3961507	-0.2764885

```

> ( p.log.wtloss <- predict(lm2,data.frame(log.wt=log(5000)),interval="confidence" ) )

```

	fit	lwr	upr
1	-4.598532	-4.746569	-4.450495

```

> exp(p.log.wtloss)*exp(anova(lm2)[2,3]/2)

```

	fit	lwr	upr
1	0.01030234	0.008884726	0.01194614